## Rotating a special angle around a point - not the origin

## Strategy

Since the special angles being 90,180 , and $270^{\circ}$ around the origin have been memorized for rotations, to find those rotations, without drawing the picture, we will translate the point of rotation back to the origin and determine the image. Then, we will translate that back to the original point of rotation.

## Procedure

1. Subtract the coordinates of the point of rotation from each vertex
2. Rotate as you would around the origin
3. Add back the point of rotation to each vertex

## Example

Rotate $\triangle \mathrm{ABC} 90^{\circ}$ about $(2,1)$ if $\mathrm{A}(-4,-1), \mathrm{B}(-3,5)$ and $\mathrm{C}(-1,3)$
Subt. (2,1) Rotate $90^{\circ} \quad$ Image
$A(-4,-1) \rightarrow(-6,-2) \rightarrow(2,-6) \quad \rightarrow A^{\prime}(4,-5)$
$\mathrm{B}(-3,5) \quad \rightarrow(-5,4) \rightarrow(-4,-5) \rightarrow \mathrm{B}^{\prime}(2,-4)$
$\mathrm{C}(-1,3) \rightarrow(-3,2) \rightarrow(-2,-3) \rightarrow \mathrm{C}^{\prime}(0,-2)$

1. Rotate the point $\mathrm{T}(4,6) 90^{\circ}$ about the point $\mathrm{M}(2,4)$
2. Rotate $\Delta X Y Z 90^{\circ}$ about the $(1,3)$ if $A(6,5), B(10,7)$ and $C(6,10)$
3. Rotate the line segment $A B 270^{\circ}$ about the point $(4,-2)$ if $A(2,5)$ and $B(3,-9)$
4. Rotate the line segment $X Y 180^{\circ}$ about the point $(0,5)$ if $X(1,3)$ and $Y(4,7)$
